

# Data acquisition and analysis for the Milano neutrino mass experiment

M. Sisti, C. Arnaboldi, C. Brofferio, O. Cremonesi, E. Fiorini, A. Nucciotti, M. Pavan, G. Pessina, S. Pirro, E. Previtali, L. Martensson  
Dip. di Fisica dell'Università di Milano-Bicocca and Sez. di Milano dell'INFN, I-20126 Milano, Italy

A. Giuliani

Dip. di Scienze Chimiche, Fisiche e Matematiche dell'Università d'Insubria I-22100 Como, Italy and Sez. di Milano dell'INFN, I-20133 Milano, Italy

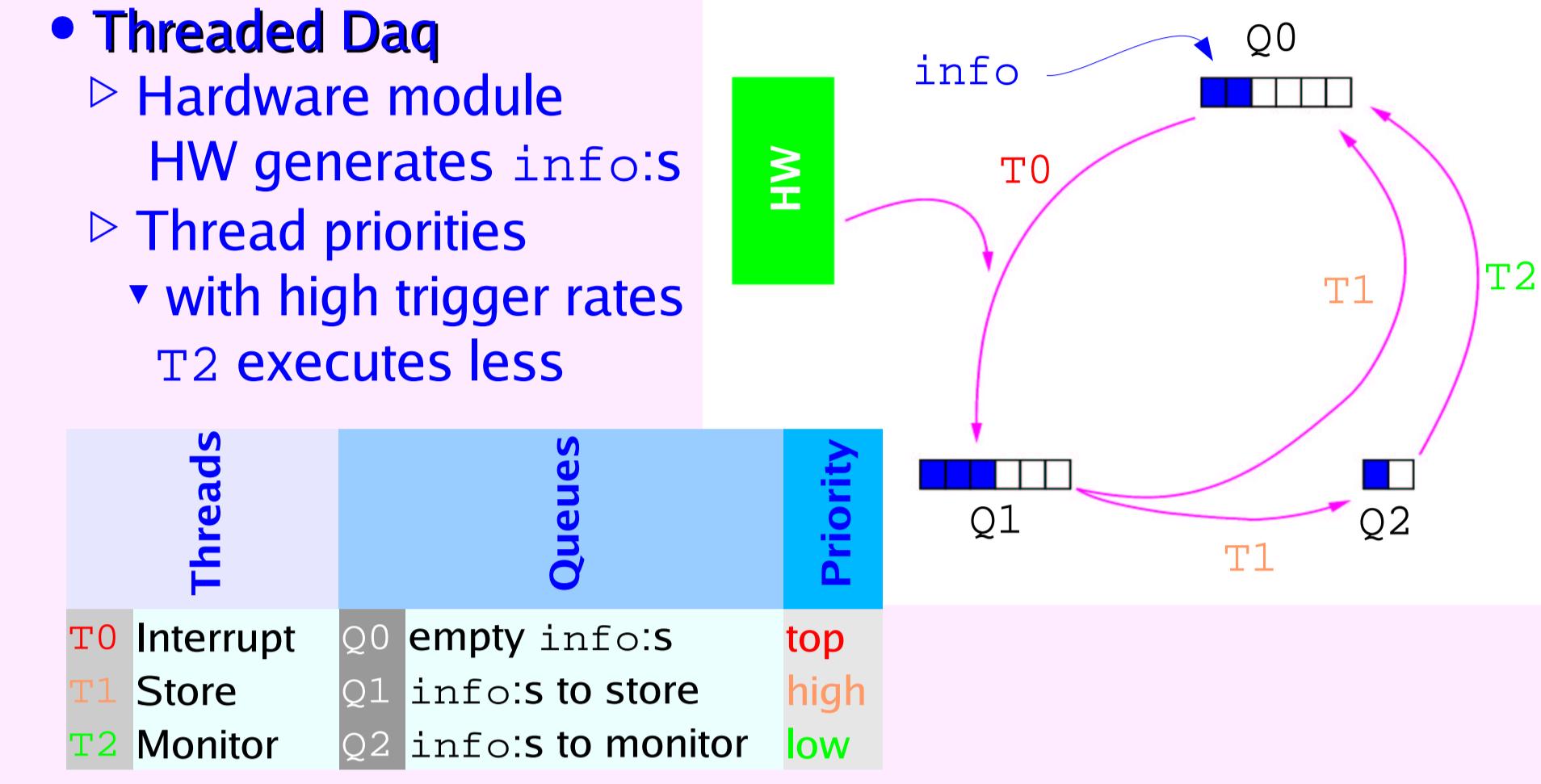
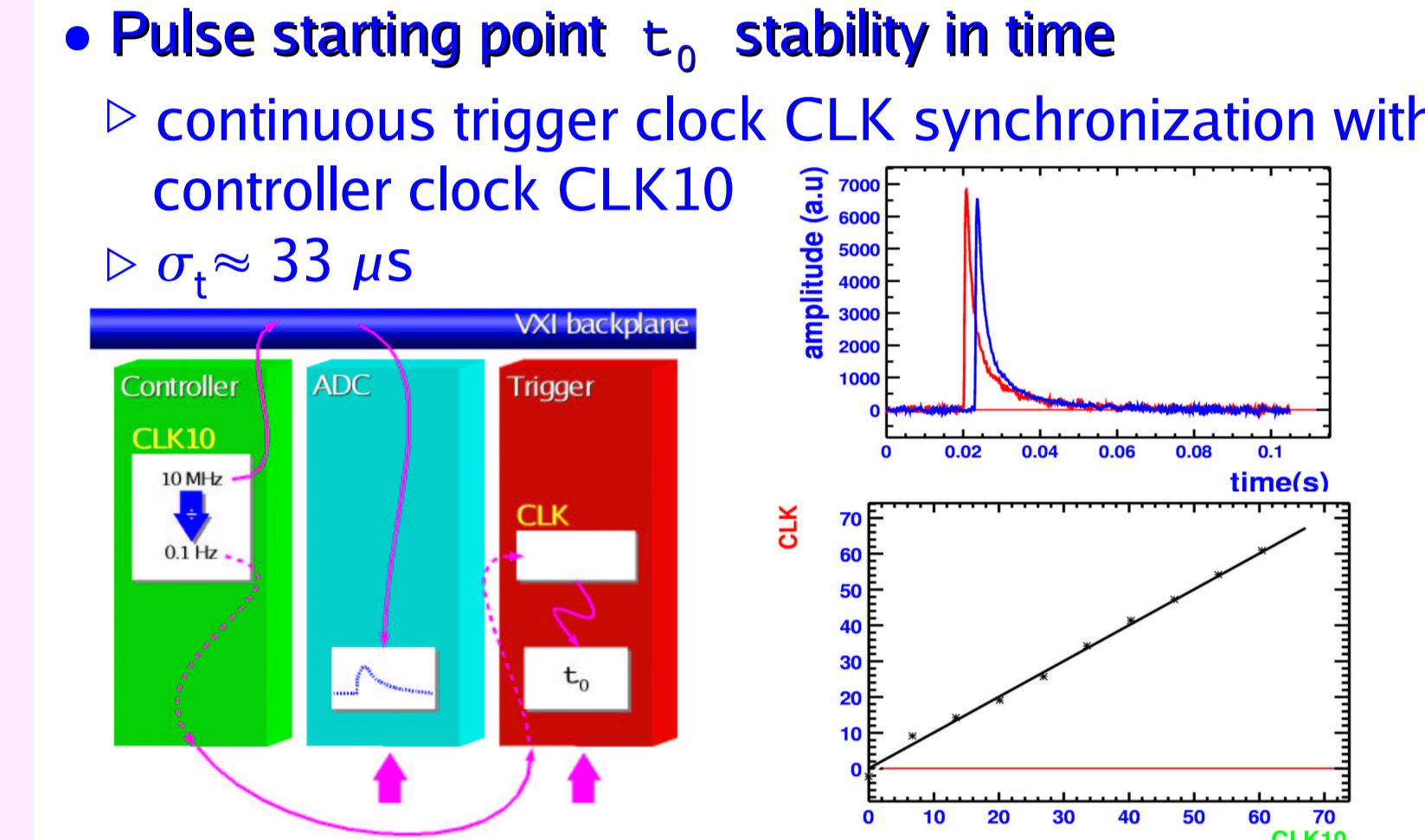
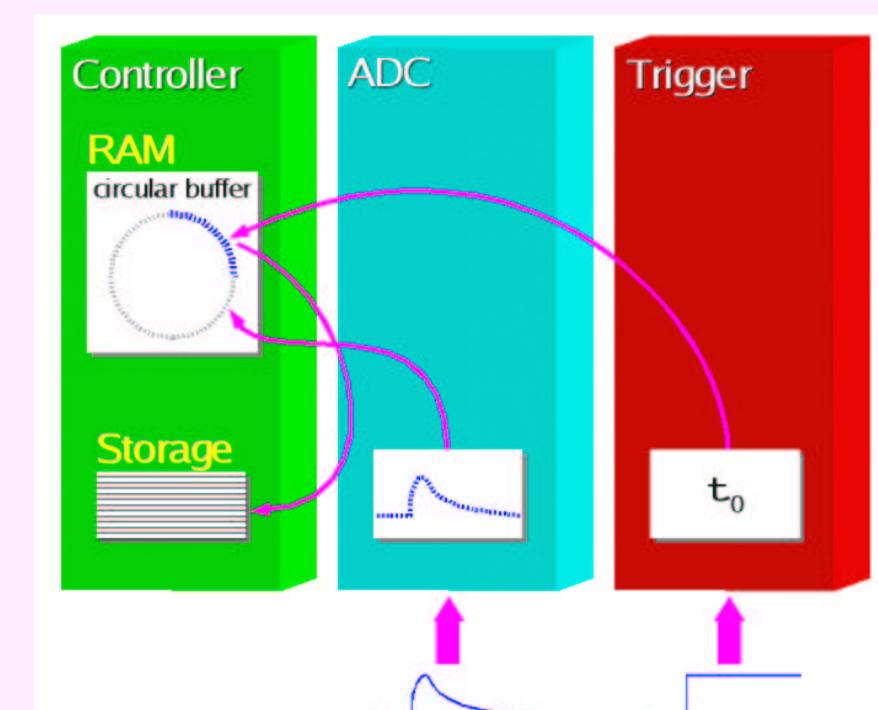
B. Margesin and M. Zen

ITC-irst, Microsystems Division, I-38050 Povo (TN), Italy

In a neutrino mass experiment it is crucial to achieve high energy and time resolutions together with a high statistics. It is also very important to distinguish between real beta decay events and various kind of spurious events. In this poster we describe the VXI-based data acquisition system used during about one year of measurement of the **Milano neutrino mass experiment** and the software tools employed to analyse the collected data. We consider in particular the event selection by means of Artificial Neuronal Networks and the pile-up recognition by means of Wiener Filtering. Moreover we give details about the complete procedure to obtain the  $^{187}\text{Re}$  beta spectra. We describe also both the statistical approach applied to obtain the neutrino mass limit and the method to determine the  $^{187}\text{Re}$  lifetime.

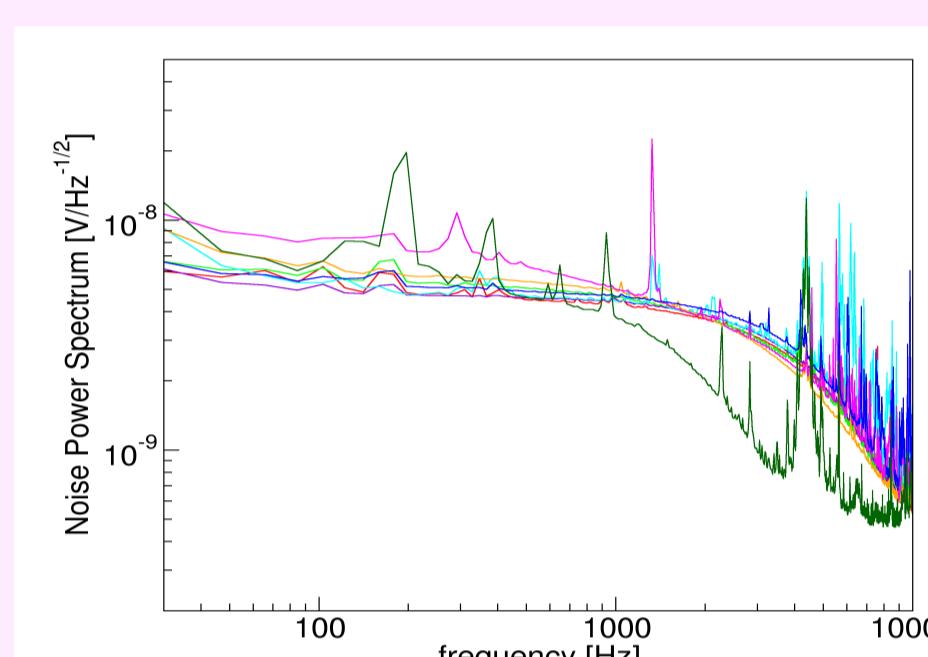
## 1. VXI data acquisition system

- Hardware**
  - A/D converter: Tektronix VX4244
  - 16-channel 16-bit 100 ks/s per channel
  - Trigger: Tektronix VX4286 16-channel analog comparator/interrupter
- Software**
  - Labwindows/CVI
  - multi-threaded acquisition code
- Daq set-up**
  - free-running ADC
  - trigger time-tags to extract pulses



## 2. Acquisition configuration

- pulse digitization
  - 2048 samples, 26  $\mu\text{s}$  time base
- one-day measurements (for refrigerator service)
- acquisition cycles (see poster U09)
  - 25 min X-ray calibration (total rate  $\approx 10 \text{ Hz}$ )
  - 2 h pure  $\beta$  acquisition (total rate  $\approx 1 \text{ Hz}$ )
  - every one-day data set must begin and end with a calibration period
  - random records are acquired to build noise power spectra



## 3. Raw data reduction

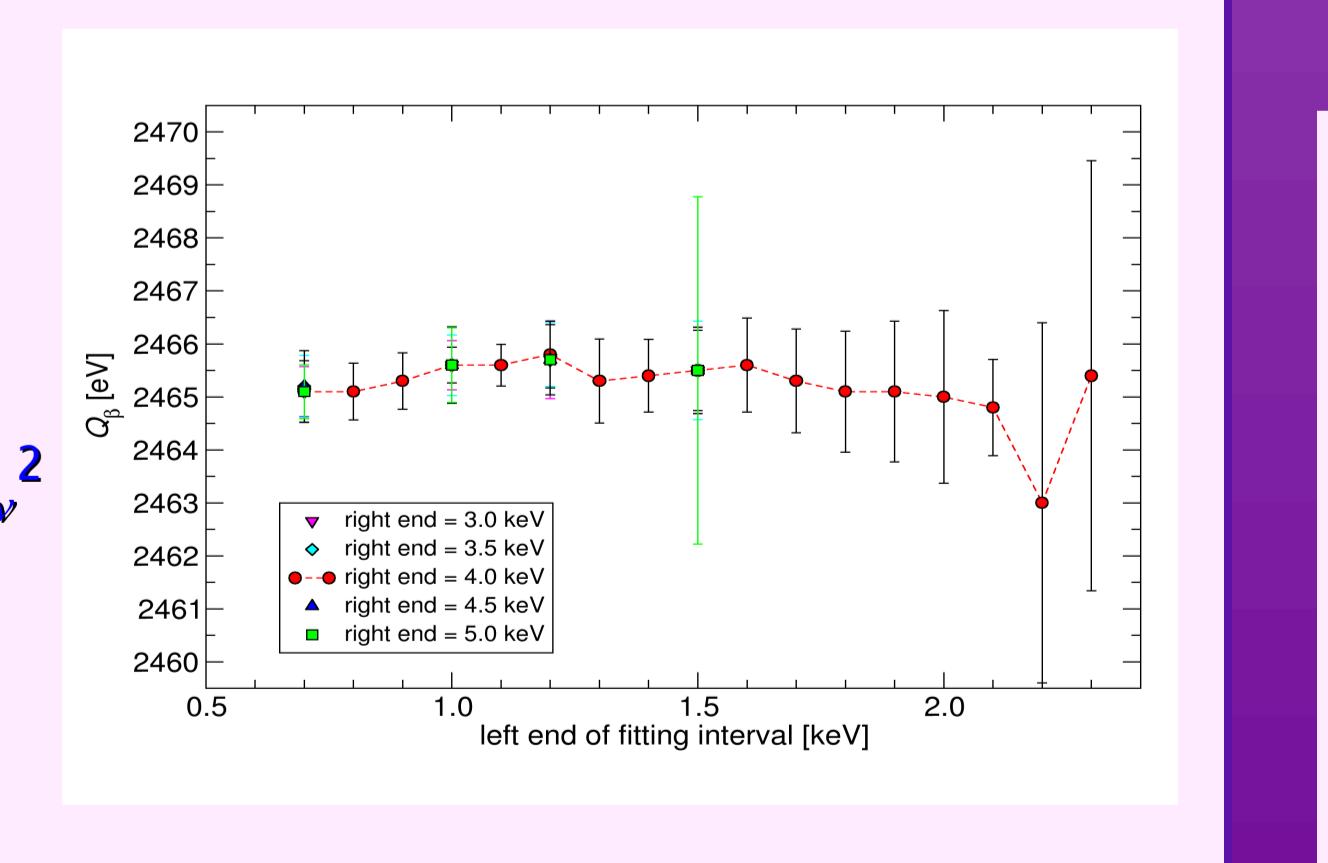
- average  $\beta$  pulse  $S(t)$  and noise power spectra  $\mathcal{N}(\omega)$  generation
- n-tuple generation**
  - 8 channel separation (events with multiplicity > 3 are discarded)
  - peak stabilization (gain drift correction) using Mn, Ti and Ca K $\alpha$  peaks
  - X-ray and pure  $\beta$  periods separation (see poster U09)
  - X-ray spectra calibration using 2<sup>nd</sup> order polynomials (see poster U09)
  - pulse shape analysis** and **pile-up recognition** for  $\beta$  spectra generation
  - $\beta$  spectra calibration using X-ray spectra calibration results
  - total X-ray and  $\beta$  spectra generation
  - detector energy response function evaluation (see poster U09)
  - $\beta$  spectra analysis

## 4. n-tuple

- Optimal Filter (OF) amplitude**
  - $\mathcal{H}_{\text{OF}}(\omega) \propto S^*(\omega)/\mathcal{N}(\omega)$  for maximal signal-to-noise ratio
- Adaptive Filter (AF) amplitude**
  - $\tau_{\text{rise}}$  rise and  $\tau_{\text{decay}}$  decay times (10%-90%)
  - shape parameters
    - root mean square deviation from  $S_{\text{OF}}(t) = [\mathcal{H}_{\text{OF}}(\omega)S(\omega)]^{-1}$  left (TVL) and right (TVR) of  $S_{\text{OF}}(t)$  maximum
    - root mean square deviation from template  $S(t)$
    - Artificial Neuronal Network (ANN) output
  - amplitude and time delay of secondary pulses as found by **Wiener filtering (WF)**
    - $\mathcal{H}_{\text{WF}}(\omega) \propto S^*(\omega)/(|S(\omega)|^2 + |\mathcal{N}(\omega)|^2)$  transfer function for best least-square estimate of **uncorrupted** signal
  - source open, source closed and random record tags

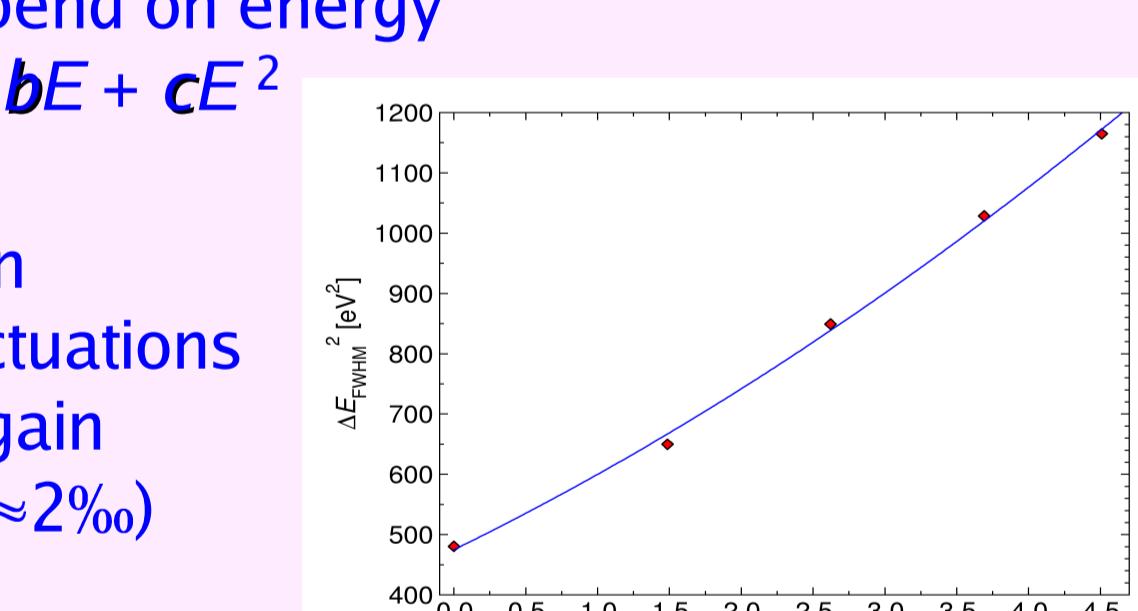
## 9. $\beta$ spectrum analysis (listen to U02 presentation)

- fit function:  $f(E) = [N_{\text{theo}}(E, m_\nu) + N_{\text{pile-up}}(E, m_\nu) + b(E)] \otimes R(E)$ 
  - $N_{\text{theo}}(E, m_\nu)$  first forbidden unique Buhring spectrum
  - $N_{\text{pile-up}}(E, m_\nu) = A_\beta \Delta t [N_{\text{theo}}(E, m_\nu) \otimes N_{\text{theo}}(E, m_\nu)]$  pile-up spectrum
  - $b(E)$  polynomial background spectrum
  - free parameters:  $N_{\text{theo}}$  and  $N_{\text{pile-up}}$  normalizations,  $Q_\beta$  end-point,  $b(E)$  parameters,  $m_\nu$
- estimator:  $\Xi^2 \equiv 2 \sum [f_i - y_i \ln(f_i/y_i)]$  with  $f_i$  fit values,  $y_i$  measured data
- Bayesian approach for non physical regions
- $f(E)$  consistency tested varying the fitting interval ( $E_{\min} \geq 0.7 \text{ keV}$ ,  $E_{\max} \leq 5 \text{ keV}$ )
  - best fitting interval: 0.9  $\div$  4.0 keV (for lowest statistical and systematic errors)



## 7. Detector energy response function

- asymmetric detector energy response function  $R(E)$ 
  - two symmetric gaussians with equal FWHM,  $\approx 40 \text{ eV}$  separation and 4:100 area ratio (see poster U09)
- energy response function at  $\beta$  end-point for 8 detector sum spectrum
  - creation for each peak of a sum spectrum normalizing the peak area to detector mass and measuring time
- peak FWHMs depend on energy
  - $\Delta E_{\text{FWHM}}^2 = a + bE + cE^2$ 
    - a** noise
    - b** thermalization statistical fluctuations
    - c** uncorrected gain instabilities ( $\approx 2\%$ )
  - extrapolation of  $\Delta E_{\text{FWHM}}^2(E)$  at  $\beta$  spectrum end-point
  - for  $\beta$  spectrum fitting: gaussian  $R(E)$  with constant  $\Delta E$ 
    - $\Delta E = \Delta E_{\text{FWHM}}(Q_\beta)$



## 8. Summary of RUN 14 detector performances

see poster U11 and listen to presentation U02

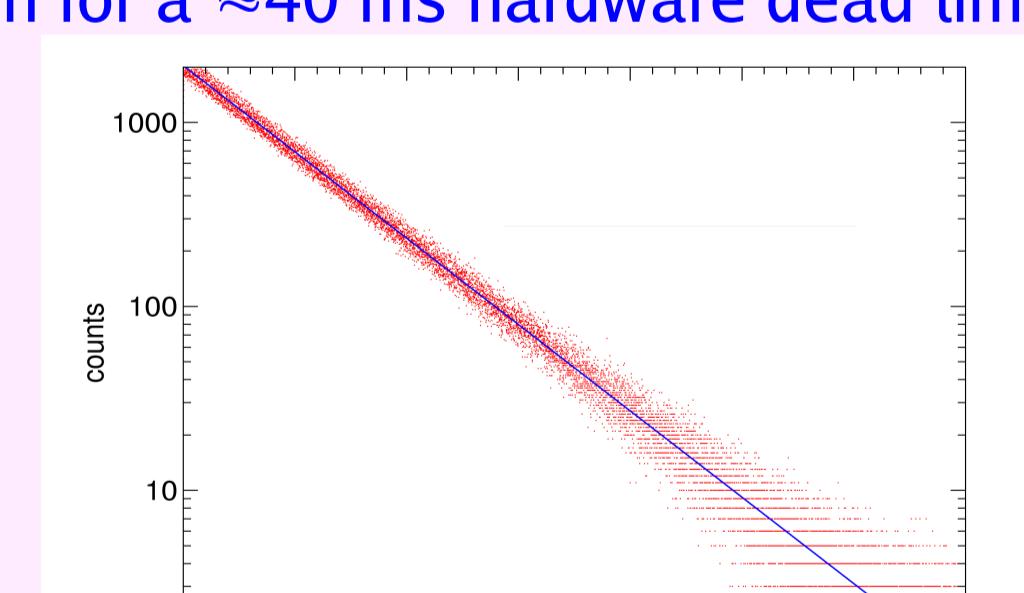
| detector                               | 1       | 2       | 3       | 5   | 6   | 8   | 9   | 10  | sum  |
|--|---------|---------|---------|-----|-----|-----|-----|-----|------|
| mass [ $\mu\text{g}$ ]                 | 272     | 259     | 280     | 250 | 284 | 282 | 269 | 278 | 2174 |
| $T_{\text{op}}$ [mK]                   | 104     | 91      | 104     | 107 | 87  | 72  | 97  | 101 |      |
| $R_{\text{op}}$ [MΩ]                   | 1.3     | 1.9     | 1.3     | 1.2 | 2.2 | 4.0 | 1.6 | 1.4 |      |
| threshold [eV]                         | 350     | 350     | 350     | 470 | 350 | 400 | 400 | 700 | 700  |
| $\Delta E_{\text{FWHM}}$ [eV]          | 0 keV   | 1.5 keV | 2.6 keV | 24  | 23  | 29  | 25  | 29  | 22   |
| $\Delta E_{\text{FWHM}}$ [eV]          | 1.5 keV | 2.6 keV | 2.6 keV | 26  | 27  | 31  | 29  | 33  | 29   |
| $\tau_{\text{rise}}$ [ $\mu\text{s}$ ] | 440     | 340     | 670     | 590 | 500 | 510 | 430 | 445 | 492  |

## 10. $^{187}\text{Re}$ lifetime $\tau$ measurement

- from distribution of time intervals  $\Delta t$  between two  $\beta$  decays
- needs only a correction for a  $\approx 40 \text{ ms}$  hardware dead time
- MC simulation
  - $\Phi \approx 1\%$  correction

$$N(\Delta t) = A e^{-r\Delta t},$$

where  $r \approx 1/\tau$  is the  $\beta$  decay rate



## 11. Systematic errors on $m_\nu^2$

- perform fits under different hypotheses  $\Rightarrow \Delta m^2 \Rightarrow$  systematic error  $\epsilon_{\text{sys}}$

| Quantity  | contribution to $\epsilon_{\text{sys}}$ |
|---|---|
| fit interval [keV]  | 0.9 $\div$ 4    2.1 $\div$ 4            |
| alternative resolution functions $R(E)$                                     | 79%    14%                              |
| double gaussian $R(E)$  | 68%    6%                               |
| non-constant width $R(E)$   | 11%    8%                               |
| different order polynomials for $b(E)$ : 1 <sup>st</sup> or 2 <sup>nd</sup> | 21%    8%                               |
| alternative $\beta$ spectrum parametrizations                               | ---                                     |
| Total systematic error [eV <sup>2</sup> ]                                   | 90    125                               |